

Computability Assignment

Year 2013/14 - Number 1

Please keep this file anonymous: do not write your name inside this file.

More information about assignments at <http://disi.unitn.it/~zunino/teaching/computability/assignments>

Please do not submit a file containing only the answers; edit this file, instead, filling the answer sections.

1 Question

Define a binary property $p(x, y)$ over natural numbers that satisfies both the requisites:

1. $\forall x \in \mathbb{N}. \exists y \in \mathbb{N}. p(x, y)$ and
2. *it is false that* $\forall y \in \mathbb{N}. \exists x \in \mathbb{N}. p(x, y)$

Provide a definition for p , and a proof for the above claims.

1.1 Answer

Write your answer here.

Let p a property over natural numbers that associates x to its double value, for example:

$p(1,2); p(2,4); p(3,6); \dots; p(n,2n) \Rightarrow \forall x \in \mathbb{N}. \exists y \in \mathbb{N}. p(x, y)$ and it is false that $\forall y \in \mathbb{N}. \exists x \in \mathbb{N}. p(x, y)$.

In fact if I take $y=3$ you can not be find a correspondent x ;