Computability Assignment
Year 2012/13 - Number 1

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1 Question

Define a binary property $p(x, y)$ over natural numbers such that we have both

1. $\forall x \in \mathbb{N}.\exists y \in \mathbb{N}.p(x, y)$
2. $\neg\exists y \in \mathbb{N}.\forall x \in \mathbb{N}.p(x, y)$

Provide a definition for p, and a proof for the above claims.

1.1 Answer

This is a test submission.
This is a test submission.
This is a test note. — RZ
This is a test submission.
Random formula:

$$f(n) = \#\left(\lambda x.\begin{cases} 1+x & \text{if } x \text{ is even} \\ 3\cdot x+1 & \text{otherwise} \end{cases}\right)$$

This is a test submission.
This is a test submission.
This is another test note. Blah $f(x) = 5$ blah.— RZ
This is a test submission.