### Introduction

- Constant Envelope (CE) multicarrier modulations (<u>CE-OFDM</u> and <u>CE-SCFDMA</u>) represent interesting alternative waveforms for satellite communications;
- Indeed, they would allow to exploit the benefits of multicarrier modulations without sacrificing power resources in terms of high input-back off (IBO): their PAPR is fixed to 0 dB;
- CE multicarrier modulations are obtained by applying a non-linear phase modulation to a real-valued OFDM or SC-FDMA signal, normalized with respect to its amplitude [8-10].

### **Constant-Envelope Multicarrier Signal Generation**

# Procedure

$$\left\{S_1,\ldots,S_N\right\}$$

$$\underline{\hat{S}} = \begin{bmatrix} 0, S_1, \dots, S_N, \underline{Z}, 0, S_N^*, \dots, S_1^* \end{bmatrix}$$

Complex symbol sequence (M<sup>2</sup>-QAM constellation or DFT-precoded symbols)

Conjugate-symmetric zero-padded (oversampled) sequence

I-FF

$$u(t) = 2\sum_{k=1}^{N} \Re\{S_k\} \cos(2\pi kt/T) - \Im\{S_k\} \sin(2\pi kt/T)$$
  
Real-valued OFDM (SC-FDMA) signal  
$$x(t) = A_c \operatorname{Re}\left\{\exp j\left[2\pi f_c t + 2\pi h\Lambda u(t)\right]\right\} - T_{CP} \le t \le T$$
  
CE-OFDM (CE-SCFDMA) signal

## CE multicarrier signal properties

## Time





OFDM signal (high PAPR) CE-OFDM signal (0dB PAPR) (courtesy by [8]) (courtesy by [8])

$$B_{CE} = W \max\{2\pi h, 1\} W = 2N / T$$





Fractional out-of-band power (courtesy by [9])

## CE multicarrier performance evaluation (see [10])



The two plots (taken by [10]) evidence that the <u>increase of bandwidth</u> (more than 3dB) w.r.t. conventional multicarrier techniques <u>turns on a</u> <u>a great improvement of power efficiency</u> -> higher capacity!!

## CE multicarrier modulation: phase-noise impact (1)

- In [8-10], <u>the impact of phase-noise on CE multicarrier</u> <u>modulations performance</u> was not investigated;
- This is a big issue, in particular when <u>broadband mm-wave</u> <u>satellite applications are</u> considered!



From Satellite Channel

## CE multicarrier modulation: phase-noise impact (2)

• Some analytical insights:

$$r(t) = A \exp\left\{j\left(2\pi h\Lambda u(t) + \phi_n(t)\right)\right\} + z(t) \quad \Lambda = \sqrt{2/N\sigma_{M-PAM}^2}$$

Low-pass equivalent received signal (AWGN channel + phase-noise)

$$\hat{\varphi}(t) = \varphi(t) + \phi_n(t) + \vartheta(t) \qquad \vartheta(t) = \arctan\left(\frac{A_z(t)\sin(\Phi_z(t) - \varphi(t) - \phi_n(t))}{A + A_z(t)\sin(\Phi_z(t) - \varphi(t) - \phi_n(t))}\right)$$
$$\varphi(t) = 2\pi h \Lambda u(t)$$

#### **Output of phase-detector**

$$\hat{A}(k) = (2\pi h) \frac{\Lambda}{2} I(k) + \Phi(k) + \Theta(k) \qquad \operatorname{var}(\Theta(k)) \approx \frac{1}{T} \frac{N_0}{A^2} \qquad \operatorname{var}(\Phi(k)) \approx \frac{1}{T} S_{\phi}\left(\frac{k}{T}\right)$$

#### **Output of matched filter receiver related to subcarrier** *k*

## Simulation setup

### DVB-S2 standard configuration

PARAMETERVALUEAvailable bandwidth ( $B_{CE}$ )33 MHzOversampling factor ( $F_o$ )4Total number of subcarriers ( $N_s$ )512Symbol vector length (N)63Number of users (U)4Size of user symbol block (B)15 symbols

- Multipath effects neglected;
- Nonlinear amplification (HPA modeled with Saleh's model, IBO>=7dB);
- Modulation constellations: 4-QAM and 16-QAM, angular modulation index <=1.0 rad.</li>



## Simulation results (4-QAM, eff. 1b/s/Hz)



#### **NOTICE:** OFDM and SC-FDMA have used a **BPSK** modulation

### Simulation results (16-QAM, eff. 2b/s/Hz)



#### NOTICE: OFDM and SC-FDMA have used a 4-QAM modulation

### Conclusion

- The impact of phase noise on constant envelope multicarrier transmission techniques has been analyzed by means of simulations;
- Simulation results evidenced that CE-OFDM and CE-SC-FDMA are quite robust against moderate levels of phase noise, provided that the modulation index is properly chosen;
- High level of phase noise can involve an irreducible error-floor also on CE multicarrier waveforms, in particular for higher order modulations;
- The comparison with regular OFDM and SC-FDMA is globally in favor to CE techniques, due to their inherent resilience to nonlinear distortions.