# Computational Linguistics: Crash Course on Prolog 

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## 1. Introduction

Today we will look at how to use PROLOG to store information, namely to store a knowledge base of facts and how to ask queries.

## 2. Knowledge Base

```
wizard(harry).
wizard(ron).
wizard(hermione).
muggle(uncle_vernon).
muggle(aunt_petunia).
chases(crookshanks, scabbars).
```

Given this KB, you can ask for instance the following queries
?- wizard(harry).
yes
?- muggle(harry).
no
?- witch(hermione).
ERROR: Undefined procedure: witch/1
?- chases(X,Y).
X = crookshanks

```
Y = scabbars ;
no
?- chases(X,X).
no
```


## 3. A bit of syntax: atoms and variables

## Atoms

- All terms that consist of letters, numbers, and the underscore and start with a non-capital letter are atoms: harry, uncle_vernon, ritaSkeeter, nimbus200 ...
- All terms that are enclosed in single quotes are atoms: 'Professor Dumbledore', '(@ *+ ', ...
- Certain special symbols are also atoms: +, , , ..


## Variables

- All terms that consist of letters, numbers, and the underscore and start with a capital letter or an underscore are variables: X, Hermione, _ron...
-     - is an anonymous variable: two occurrences of _ are different variables.


## 4. A bit of syntax: complex terms

## Complex terms

- Complex terms are of the form: functor (argument, ..., argument).
- Functors have to be atoms.
- Arguments can be any kind of Prolog term, e.g., complex terms. likes (ron, hermio likes (harry, X) but also f(a,b,g(h(a)), c), ...


## 5. Facts and Queries

Facts Facts are complex terms which are followed by a full stop. wizard(hermione).
muggle(uncle vernon).
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Facts Facts are complex terms which are followed by a full stop.
wizard(hermione).
muggle(uncle vernon).
chases(crookshanks,scabbars).
Queries Queries are also complex terms which are followed by a full stop.
? - wizard(hermione).
where, ? - is the prompt provided by the Prolog Interpreter and wizard(hermione). is the query.

## 6. kb2: a knowledge base of facts and rules

eating(dudley).
happy(aunt_petunia) :- happy(dudley).
happy(uncle_vernon) :- happy(dudley), unhappy(harry).
happy(dudley) :- kicking(dudley,harry).
happy(dudley) :- eating(dudley).
where,

- :- stands for "if ... then ...": If happy(dudley) is true, then happy(aunt petunia) is true.


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where,

- :- stands for "if ... then ...": If happy(dudley) is true, then happy(aunt petunia) is true.
- , stands for "and": If happy(dudley) is true and unhappy (harry) is true, then happy (uncle vernon) is true.


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where,

- :- stands for "if ... then ...": If happy(dudley) is true, then happy(aunt petunia) is true.
- , stands for "and": If happy(dudley) is true and unhappy (harry) is true, then happy (uncle vernon) is true.
- "or" is expressed by the last two facts. If kicking(dudley, harry) is true or if eating (dudley) is true, then happy (dudley) is true.


## 7. Queries to kb2

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happy(aunt_petunia) :- happy(dudley).
happy(uncle_vernon) :- happy(dudley), unhappy (harry).
happy(dudley) :- kicking(dudley,harry).
happy(dudley) :- eating(dudley).
Some possible queries to kb2
?- happy(dudley).
yes
?- happy(aunt_petunia).
yes
?- happy(uncle_vernon).
no
?- happy (X).
X = aunt_petunia ;
X = dudley ;
no

## 8. A bit of syntax: Rules

Rules are of the form Head :- Body.

- Like facts and queries, they have to be followed by a full stop.
- Head is a complex term.
- Body is complex term or a sequence of complex terms separated by commas.

```
happy(aunt_petunia) :- happy(dudley).
happy(uncle_vernon) :- happy(dudley),
    unhappy(harry).
```


## 9. Kb3: facts and rules containing variables

Let's take a knowledge base that defines 3 predicates: father $/ 2$, mother $/ 2$, and wizard/1.
father (albert, james).
father (james,harry).
mother (ruth,james).
mother(lili,harry).
wizard(lili).
wizard(ruth).
wizard(albert).
wizard(X) :- father (Y,X),
wizard(Y),
mother (Z, X),
wizard(Z).

## 10. Rules

```
wizard(X) :- father(Y,X),
    wizard(Y),
    mother(Z,X),
    wizard(Z).
```

The rule says:
For all $X, Y, Z$, if f ather $(\mathrm{Y}, \mathrm{X})$ is true and wizard $(\mathrm{Y})$ is true and mother $(\mathrm{Z}, \mathrm{X})$ is true and wizard ( Z ) is true, then wizard ( X ) is true. I.e., for all $X$, if $X$ 's father and mother are wizards, then $X$ is a wizard.

## 11. Queries to kb3

```
father(albert,james).
father(james,harry).
mother(ruth,james).
mother(lili,harry).
wizard(lili).
wizard(ruth).
wizard(albert).
wizard(X) :- father(Y,X),
    wizard(Y),
    mother(Z,X),
    wizard(Z).
```

Some possible queries to kb3
?- wizard(james).
yes

```
?- wizard(harry).
yes
?- wizard(X).
X = lili ;
X = ruth ;
X = albert ;
X = james ;
X = harry ;
no
?- wizard(X), mother(Y,X), wizard(Y).
X = james
Y = ruth ;
X = harry
Y = lili ;
no
```


## 12. Ancestors

Given the KB below, we want to define a predicate grandparent_of ( $\mathrm{X}, \mathrm{Y}$ ) which is true if $X$ is a grandparent of $Y$.

```
parent_of(paul,petunia).
parent_of(helen,petunia).
parent_of(paul,lili).
parent_of(helen,lili).
parent_of(albert,james).
parent_of(ruth,james).
parent_of(petunia,dudley).
parent_of(vernon,dudley).
parent_of(lili,harry).
parent_of(james,harry).
```


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```
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parent_of(helen,petunia).
parent_of(paul,lili).
parent_of(helen,lili).
parent_of(albert,james).
parent_of(ruth,james).
parent_of(petunia,dudley).
parent_of(vernon,dudley).
parent_of(lili,harry).
parent_of(james,harry).
```

grandparent_of $(X, Y)$ :- parent_of $(X, Z)$, parent_of $(Z, Y)$.

## 13. Ancestors

Similarly,

$$
\begin{aligned}
\text { greatgrandparent_of }(X, Y):- & \text { parent_of }(X, Z), \\
& \text { parent_of }(Z, A), \\
& \text { parent_of }(A, Y) . \\
\text { greatgreatgrandparent_of }(X, Y):- & \text { parent_of }(X, Z), \\
& \text { parent_of }(Z, A), \\
& \text { parent_of }(A, B), \\
& \text { parent_of }(B, Y) .
\end{aligned}
$$

## 13. Ancestors

Similarly,

```
greatgrandparent_of(X,Y) :- parent_of(X,Z),
    parent_of(Z,A),
    parent_of(A,Y).
greatgreatgrandparent_of(X,Y) :- parent_of(X,Z),
    parent_of(Z,A),
    parent_of(A,B),
    parent_of(B,Y).
```

This doesn't work for "ancestor of"; don't know 'how many parents we have to go back'.

## 14. Ancestor

ancestor_of(X,Y) :- parent_of(X,Y).
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ancestor_of (X,Y) :- parent_of (X,Z), ancestor_of (Z,Y).
The presence of the same predicate in the head and the body of the rule indicates we have a recursion.

## 15. Lists

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In Prolog: a special kind of data structure, i.e., special kinds of Prolog terms.
[] The empty list
[Head|Tail] is a list if
Head is a term (atom, variable, complex term) and Tail is a list.

For instance,
[a,b,c] A list with elements a, b and c
[a|Tail] A list with the element a and the elements in the Tail
you can also find eg. [a,b | [c,d]] for the list [a, b, c, d].

## 16. Concatenation

concatenate/3: a predicate for concatenating two lists. concatenate (X,Y,Z) should be true if $Z$ is the concatenation of $X$ and $Y$; for example, concatenating [a] with $[\mathrm{b}, \mathrm{c}]$ yields $[\mathrm{a}, \mathrm{b}, \mathrm{c}]$.

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This predicate concatenate $(\mathrm{X}, \mathrm{Y}, \mathrm{Z})$ is defined following the ideas below:

- if X is [], then $\mathrm{Z}=\mathrm{Y}$ is the concatenation of X and Y .
- if X is the list $[\mathrm{H} \mid \mathrm{T}]$ then $[\mathrm{H} \mid \mathrm{T} 1]$ is the concatenation of X and Y if T 1 is the concatenation of T and Y .

Formally,
concatenate ([],L, L).
concatenate([Head|Tail],L, [Head|NewTail]) :concatenate(Tail, L, NewTail).

Remark, "append" is an alternative way of calling the predicate "concatenate".

| Input: |  | T + | 1.2 |
| :---: | :---: | :---: | :---: |
| What 1.3 is: |  | $1.3=1$ |  |
| Result: | H | 1. |  |


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| What 1.3 is: |  | $1.3=1$ |  |
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## 17. Split List

concatenate (or append) can also be used in other ways. For example, to split lists into two parts.

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?- append(X,Y,[a,b,c]).
$\mathrm{X}=$ []
$Y=[a, b, c]$;
$\mathrm{X}=$ [a]
$Y=[b, c]$;
$X=[a, b]$
$Y=[c]$;
$X=[a, b, c]$
$\mathrm{Y}=[]$;
no

## 18. Conclusion

Now have fun using Prolog!!

